ERRATA
**A PARTIAL ORDER ON THE SET OF
PRIME KNOTS WITH UP TO 11 CROSSINGS**

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The word “meridian-preserving” is missing in several sentences. We should replace all the phrases “surjective homomorphism” with “meridian-preserving surjective homomorphism” in this paper. Furthermore, the Wirtinger presentations should be chosen as the presentations of knot groups in Proposition 2.4.

Proposition 2.4 should say:

We take the Wirtinger presentations of knot groups $G(K_1), G(K_2)$. Assume that there exists a meridian-preserving surjective homomorphism $\varphi: G(K_1) \rightarrow G(K_2)$. Then for any representation $\rho_2: G(K_2) \rightarrow SL(2; \mathbb{F}_p)$ and $\rho_1 = \rho_2 \circ \varphi$, $\Delta_{K_1, \rho_1}(t)$ is divisible by $\Delta_{K_2, \rho_2}(t)$. More precisely, the denominator of $\Delta_{K_1, \rho_1}(t)$ is same as the denominator of $\Delta_{K_2, \rho_2}(t)$ and the numerator of $\Delta_{K_1, \rho_1}(t)$ can be divided by the numerator of $\Delta_{K_2, \rho_2}(t)$.