ERRATA

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QUANTIZATION AND SUPERSELECTION SECTORS I. TRANSFORMATION GROUP C^* -ALGEBRAS

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Page 69, line 28

The first sentence of Theorem 3 should read as follows: “Let C be a symmetric and $ad(H)$ -invariant element of $\mathcal{U}(\mathcal{G})$, for which $\pi'_\gamma(C)$ is essentially self-adjoint for almost every $\gamma \in \hat{G}$ with respect to the Plancherel measure.”

Page 69, line 35

The first sentence of the statement of proof should be replaced with the following: “The essential self-adjointness follows from a theorem of Thomas (E. F. G. Thomas, “An invariant non-self-adjoint differential operator”, University of Groningen report ZW-8413, unpublished). Note that the condition that $\pi'_\gamma(C)$ be essentially self-adjoint for a.e. γ is necessary and sufficient for the essential self-adjointness of H_p ; sufficient conditions are provided by the well-known Nelson-Stinespring criteria [29, 4], e.g., centrality of C .”